

Name: AK

Period: \_\_\_\_\_ Date: \_\_\_\_\_

### 7.1-7.4 and 6.5 and 6.6 Review

- Fill out the Venn Diagram. If a region lies inside another region then all properties and definitions of the larger region apply to the smaller region inside. (ex: all properties for a rectangle, rhombus, parallelogram and quadrilateral apply to a square).

#### Quadrilateral

Definition: A polygon with 4 sides

#### Parallelogram

Definition: A quadrilateral with opp sides parallel

Property: opp sides  $\cong$

Property: opp angles  $\cong$

Property: cont. angles supp.

Property: Diagonals bisect

Rhombus  
Def: All sides  $\cong$

Property: Diagonals perp.

Property: Diagonals bisect angles

#### Square

Def: Regular (Equal sides & Angles)

#### Rectangle

Def: All angles  $\cong$

Property: Diagonals  $\cong$

- Fill in the blanks with always, sometimes and never.

A square is always a rectangle.

The diagonals of a rhombus always bisect each other.

A sum of the <sup>interior</sup> exterior angles of a parallelogram is never  $360^\circ$ .

A rectangle's diagonals are sometimes perpendicular.

A rhombus is some times a square.

A rectangle always has opposite sides parallel.

3. Given one interior angle of a regular polygon  $165.6^\circ$ , find the number of sides.

Ext angle  $\rightarrow 14.4^\circ$

$$\text{Sides} = \frac{360}{14.4} = 25$$

4. Given that the sum of the interior angles is  $7740^\circ$ , find the measure of each exterior angle.

$$\frac{7740}{180} = (n-2)180$$

$$43 = n-2$$

$$\frac{360}{45} = 8^\circ$$

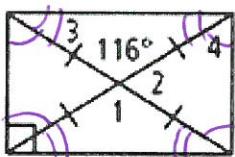
5. Is it possible to have a regular polygon where each interior angle is  $150^\circ$ ? What about  $130^\circ$ ?

Yes b/c  $\frac{360}{30} = 12$  sides ✓

No b/c you can't have  $\frac{360}{50} = 7.2$  sides

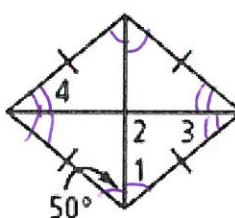
6. Find the measure of each angle.

In the rectangle below, find the measure of the numbered angle measures



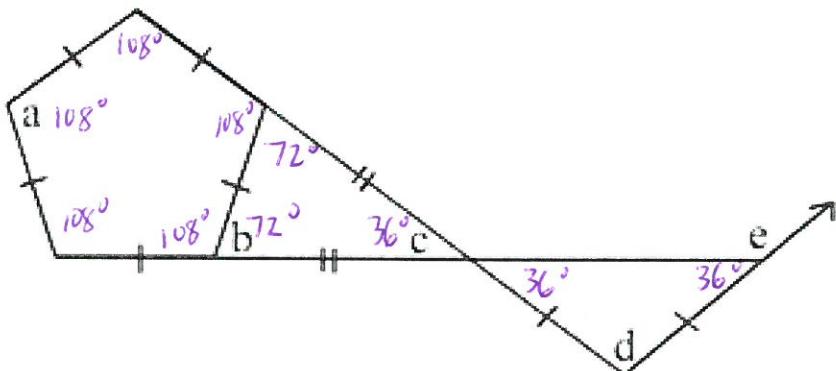
$$\begin{aligned} m\angle 1 &= 116^\circ \\ m\angle 2 &= 64^\circ \\ m\angle 3 &= 32^\circ \\ m\angle 4 &= 58^\circ \end{aligned}$$

In the rhombus below, find the measure of the numbered angles



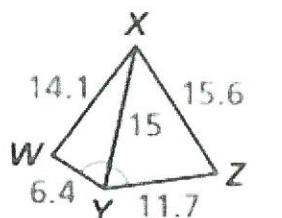
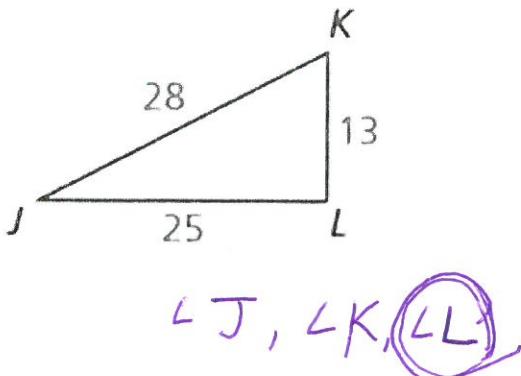
$$\begin{aligned} m\angle 1 &= 50^\circ \\ m\angle 2 &= 90^\circ \\ m\angle 3 &= 40^\circ \\ m\angle 4 &= 40^\circ \end{aligned}$$

7. Find the measure of each angle.



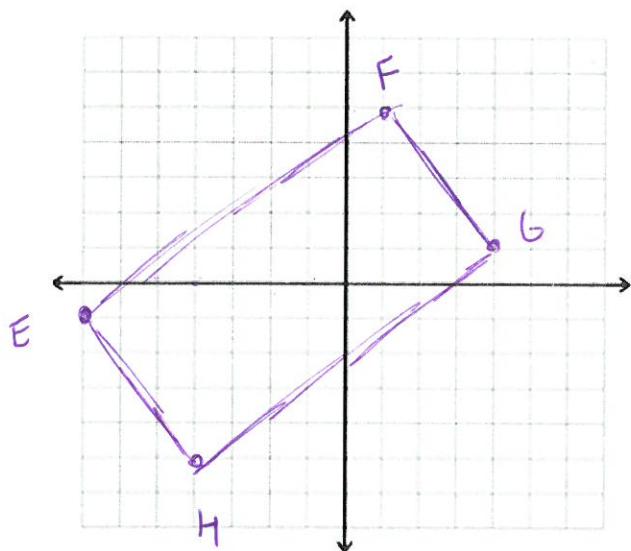
$$\begin{aligned} a &= 108^\circ \\ b &= 72^\circ \\ c &= 36^\circ \\ d &= 108^\circ \\ e &= 144^\circ \end{aligned}$$

8. Order the angle measures from smallest to largest.



$\angle X < \angle Y < \angle Z$

9. Prove that E(-7, -1) F(1, 5) G(4, 1) H(-4, -5) is a parallelogram, then prove it is a rectangle.



Slope of:  $EF = \frac{6}{8} = \frac{3}{4}$   
 $HG = \frac{3}{4} \rightarrow EF \parallel HG$

$FG = -4/3 \rightarrow FG \parallel EH$   
 $EH = -4/3$

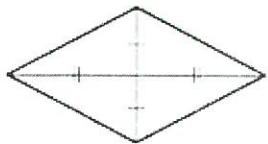
$\downarrow$   
 $EFGH$  is a parallelogram.

Since they have opposite reciprocal slopes,  
 $EF \perp EH$ ,  $EH \perp GH$ ,  $GH \perp FG$  &  $EF \perp FG$ .

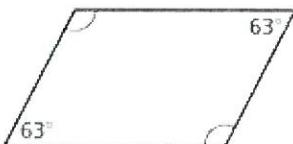
Therefore  $m\angle F = m\angle G = m\angle H = m\angle E = 90^\circ$ .

$EFGH$  is a rectangle.

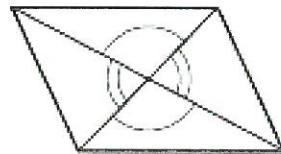
10. Do you have enough information to prove the given quadrilateral is a parallelogram? If yes, provide a brief explanation.



Yes, b/c diagonals bisect.

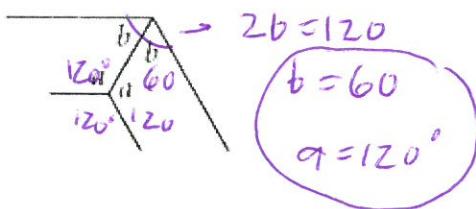
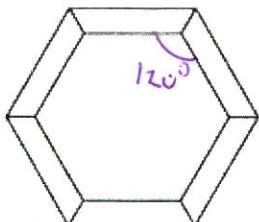


Yes b/c opp. angles are  $\cong$ .



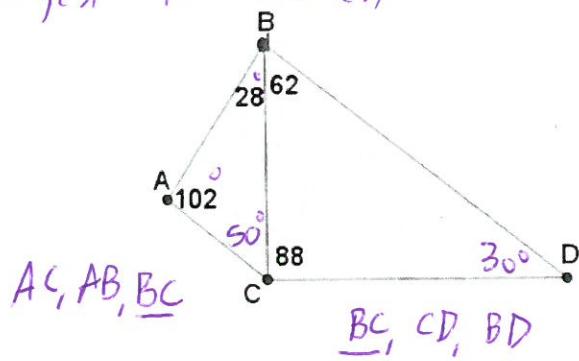
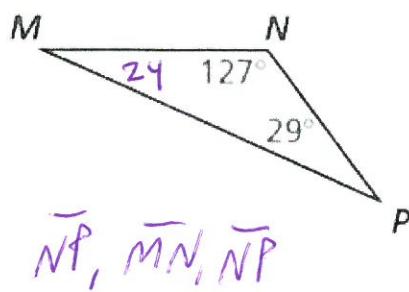
No, Not enough info.

11. A regular hexagonal frame is cut as shown. What is the measure of angles a and b?



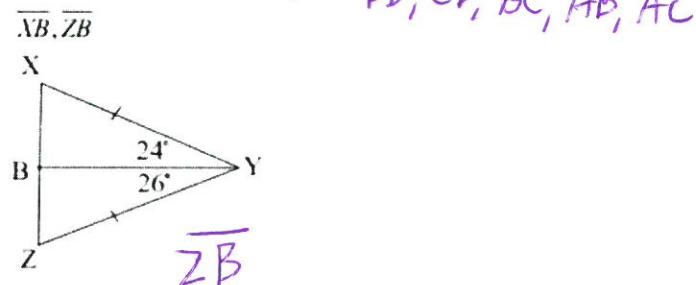
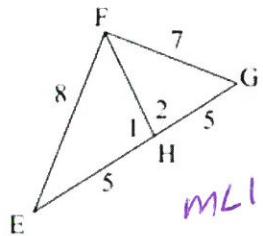
12. Order the sides from longest to shortest.

Order the sides from longest to shortest

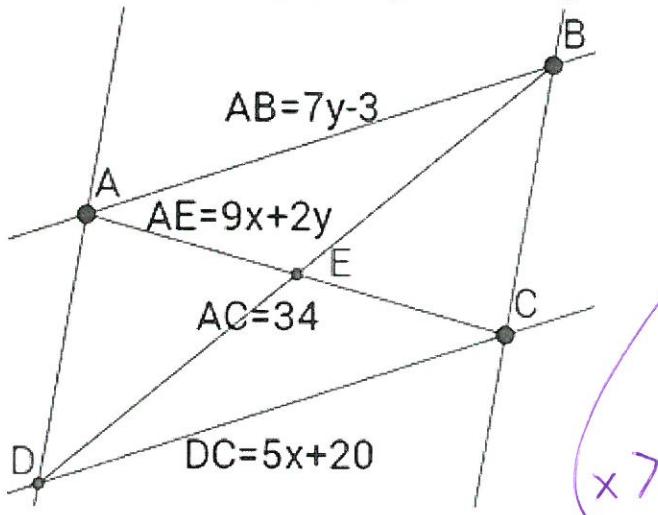


13. Where angle or side is longer?

$$m\angle 1, m\angle 2$$



14. Given ABCD is a parallelogram and lengths AB, AE, AC and DC as expressions, find x, y, and AB.



$$2(9x + 2y) = 34$$

$$9x + 2y = 17$$

$$7y - 3 = 5x + 20$$

$$-23 = 5x - 7y$$

$$\begin{aligned} 63x + 14y &= 119 \\ +10x - 14y &= -46 \end{aligned}$$

$$\frac{73x}{73} = \frac{73}{73}$$

$$\begin{aligned} x &= 1 \rightarrow 9(1) + 2y = 17 \\ &\quad -9 \qquad -9 \\ 2y &= 8 \\ y &= 4 \end{aligned}$$