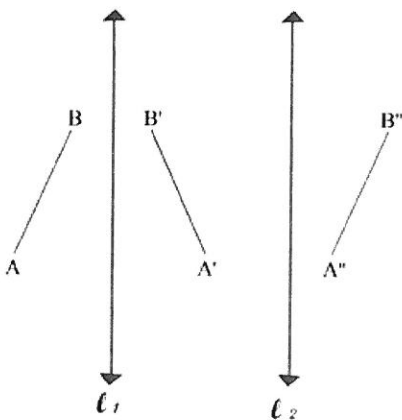


**Unit 4: Transformations Practice Test**

- Find the coordinates of  $A'B'$  after translating  $A(-2, 0)$   $B(7, 12)$  along the vector  $\langle 8, -15 \rangle$ . Then find the magnitude of the vector.
- Point  $C(a + 5, -15 + b)$  is translated with the rule  $(x - 7, y + 11)$  to create image  $C'(2a - 10, -6)$ . Find  $a$  and  $b$ .
- Find the component form of the vector that translates point  $D(-11, -23)$  to point  $D'(-20, 5)$ .
- On a separate piece of graph paper, reflect triangle  $E(-3, 4)$   $F(0, -2)$   $G(-6, 6)$  over the  $y$ -axis to create  $E'F'G'$ . Then take  $E'F'G'$  and rotate it 90 degrees counterclockwise to create  $E''F''G''$ . Record the coordinates of the images below.
- On a separate piece of graph paper, rotate triangle  $H(5, 2)$   $I(2, 1)$   $J(3, 0)$  180 degrees clockwise about the origin to create  $H'I'J'$ . Then take  $H'I'J'$  and reflect it over the line  $y = -1$  to create  $H''I''J''$ . Record the coordinates of the images below.

- In the picture below,  $AB$  is reflected over line 1, then  $A'B'$  is reflected over line 2. You could also translate  $AB$  19 units to the right to map onto  $A''B''$ . If lines 1 and 2 are parallel, how far apart are they from each other?



7. Reflecting over the y-axis, then the x-axis is equivalent to rotating the pre-image how many degrees? What if you did the same thing, except you reflected over two lines that formed a  $62^\circ$  angle? What rotation is that equivalent to?

8. On a separate piece of graph paper, find the image after dilating the quadrilateral  $K(-12, 4)$   $L(0, 8)$   $O(8, 0)$   $M(-4, -4)$  about the origin with a scale factor of  $k = -1/4$ . Is the image smaller or larger than the pre-image? Why?  $KLOM$  and  $K'L'O'M'$  are called what type of figures?

9. The larger triangle is a dilation of the smaller triangle. Find the scale factor. Then, solve for  $x$  and  $y$ . Show all your work. (Hint: You have to solve for  $x$  and  $y$ ).

Scale Factor: \_\_\_\_\_

$X =$  \_\_\_\_\_

$Y =$  \_\_\_\_\_

