6.5 Parabolas

A parabola is a locus (set) of points in a plane equidistant from a fixed point (focus) and a fixed line (directrix).

What do we already know about parabolas?

Vertical:
$$(x-h)^2 = \pm 4p(y-k)$$

Horizontal:
$$(y-k)^2 = \pm 4p(x-h)$$

Vertex: (h,k) Kind of like the center...think of it more as the starting point for the graph \odot

p units from the vertex in both directions is the focus and directrix. The parabola opens into the focus. Think of it like

4p- focal width (width through the focus)

$$x^2 = 20y$$

Function/ Not a Function

Opens

Identify:

Vertex Focus

Equation of Directrix Focal Width

Ex. 2.

$(y-2)^2 = -12(x+3)$

Ex. 3.

Identify:

Function/ Not a Function Opens

Identify:

Vertex

Focal Width Focus

Equation of Directrix

Ex. 4.

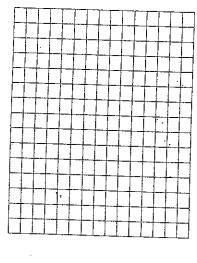


Identify:

Function/Not a Function Opens

Identify: Vertex Focus

Focal Width Equation of Directrix



$$y^2 = -8x$$

Identify: Identify: Function/ Not a Function Opens

Identify:

Focus

Focal Width

Equation of Directrix Vertex

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Directions: Fill in the missing information and graph each parabola on a separate set of axes.

1. $(x+2)^2 = 4(y-1)$	$2. (y+3)^2 = -8(x-7)$
Function/ Not a Function	Function/ Not a Function
Opens	Opens
Vertex	Vertex
Focus	Focus
Focal Width	Focal Width
Equation of Directrix	Equation of Directrix
3. $y^2 = 8(x+1)$	4. $x^2 = -16(y-3)$
Function/ Not a Function	Function/ Not a Function
Opens	Opens
Vertex	Vertex
Focus	Focus
Focal Width	Focal Width
Equation of Directrix	Equation of Directrix
$\int_{5.}^{5.} (y+5)^2 = -12(x+3)$	$6. (x-2)^2 = 20y$
Function/ Not a Function_	Function/ Not a Function
Opens	Opens
Vertex	Vertex
Focus	Focus
Focal Width	Focal Width
Equation of Directrix	Equation of Directrix
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6.5 Writing Equations of Parabolas

Write the equation for the parabola with...

1. vertex (3,7) and directrix y=4

5. focus (0,2) and directrix y=8

2. vertex (2, -1) and directrix x=3

3. vertex (-4, 2) and focus (-5, 2)

6. focus (3, -1) and directrix x=-5

4. vertex (0,4) and focus (3,4)