

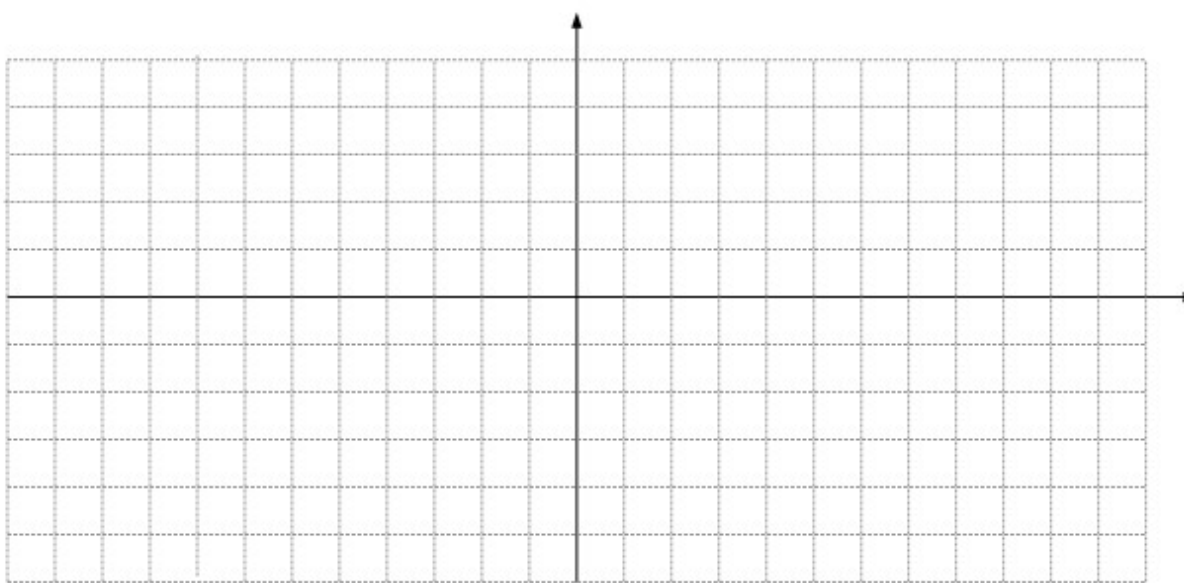
Chapter 6.4 Graphing Trigonometric Functions

Fill out the table with exact values.

x (Deg)	0	30	45	60	90	120	135	150	180	210	225	240	270	300	315	330	360
x (Rad)																	
sin(x)																	
cos(x)																	

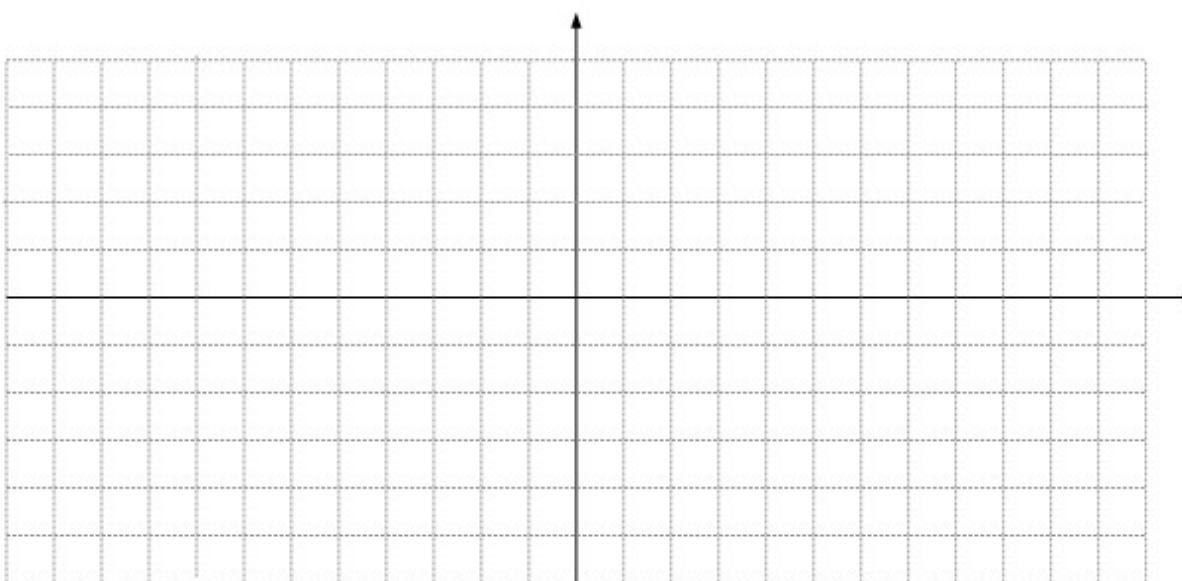
Graph the $\sin(x)$ over the interval $[0, 2\pi]$. Then use the fact that sine is odd to graph it over $[-2\pi, 0]$.

$$f(x) = \sin(x)$$



Graph the $\cos(x)$ over the interval $[0, 2\pi]$. Then use the fact that cosine is even to graph it over $[-2\pi, 0]$.

$$f(x) = \cos(x)$$



What do you notice about the graphs of sine and cosine?

Sinusoidal Axis – The horizontal line on which the graph “hangs”. For $f(x) = \sin(x)$ and $g(x) = \cos(x)$, the sinusoidal axis is $y = 0$. Just like in algebra, $f(x) + D$ shifts the graph vertically D units.

Graph the following:

$$a(x) = \sin(x) + 3$$

$$c(x) = \cos(x) + 7$$

$$b(x) = \sin(x) - 4$$

$$d(x) = \cos(x) - 5$$

Each of the following was of the form $f(x) = \sin(x) + D$ and $g(x) = \cos(x) + D$. In general how do you find the sinusoidal axis from the equation?

Graphs of sine and cosine rise to a maximum then descend to a minimum.

Amplitude – The maximum distance the graph gets from the sinusoidal axis (not the distance between the maximum and minimum).

$y = -f(x)$ is reflection of $f(x)$ over the x axis.

Graph the following. Pay attention to the amplitude and if the graph heads uphill or downhill from $(0,0)$.

$$y = 3\sin(x)$$

$$y = -2\cos(x) - 3$$

$$y = 4\sin(x) + 3$$

$$y = -5\cos(x) + 1$$

Each of the functions was of the form $y = A\sin(x) + D$ and $y = A\cos(x) + D$. What does the value of A tell you about the graph?

How can you find the y -value of the maximum and minimum of the graph in terms of A and D ?

Period – The subset of the domain in which the range cycles before it repeats. $y = \sin(x)$ and $y = \cos(x)$ have a period of what?

Just like you can vertically stretch the graph of $f(x) = A\sin(Bx) + D$ by increasing the amplitude, you can horizontally stretch the graph of $f(x)$ by making the value of B closer to zero. The period of a trigonometric function depends on the coefficient in front of x , B . The **period** of $f(x)$ is $2\pi/B$.

Graph the following.

$$e(x) = 3\sin(x/2) - 1$$

$$f(x) = 2\cos(4x) + 3$$

$$g(x) = -5\sin(3x/2)$$

$$h(x) = 4\cos(\pi x) - 3$$

Graphing $\sin(x)$ and $\cos(x)$ Practice

1) $y = 3\sin(x) - 2$

A = _____

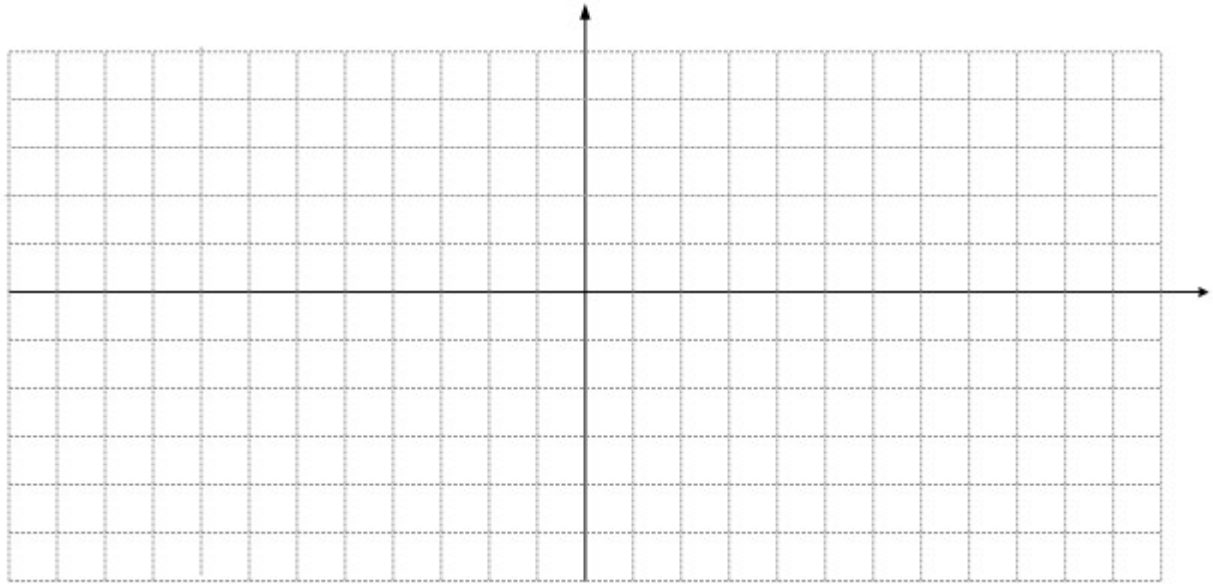
B = _____

Period = _____

S.A.: $y =$ _____

Domain: _____

Range : _____



2) $f(x) = 2\cos(3x) + 1$

A = _____

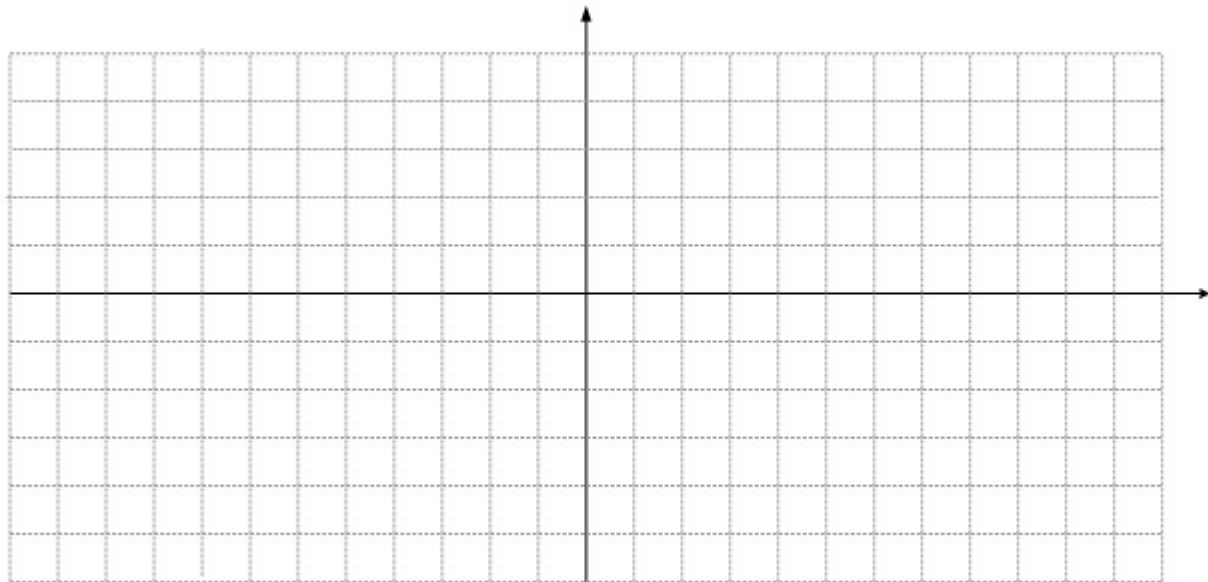
B = _____

Period = _____

S.A.: $y =$ _____

Domain: _____

Range : _____



3) $y = -2\sin(x/2) + 3$

A = _____

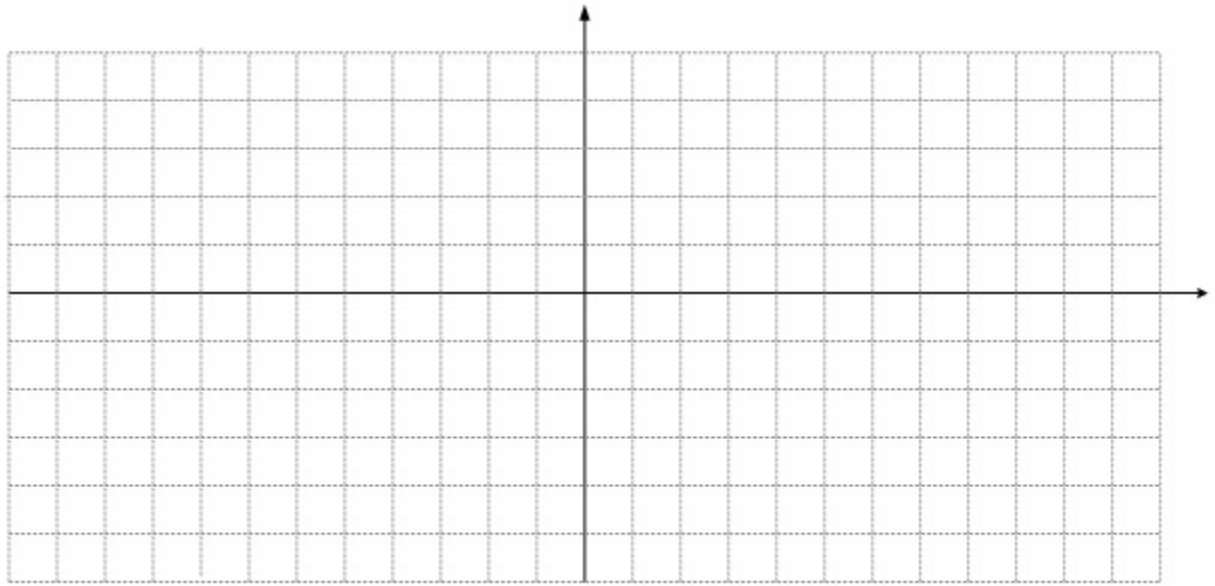
B = _____

Period = _____

S.A.: $y =$ _____

Domain: _____

Range : _____



4) $g(x) = 3\cos(2x) + 1$

A = _____

B = _____

Period = _____

S.A.: $y =$ _____

Domain: _____

Range : _____

