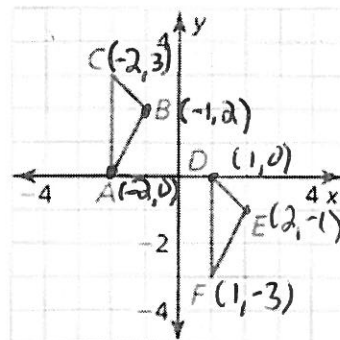


4.2 Reflections

Use coordinate rules

- 1) Determine if the coordinates give the lines of reflection
 - a) ABC over the y axis $A'(2,0) B'(1,2) C'(2,3)$
 - b) ABC over the x axis $A'(-2,0) B'(-1,2) C'(-2,3)$
 - c) DEF over $y = x$. ~~$A'(0,2) B'(2,1) C'(3,-2)$~~
 - d) DEF over $y = -x$. ~~$A'(0,2) B'$~~

$\rightarrow D'(0,1) E'(-1,2) F'(-3,1)$
 $\rightarrow D'(0,-1) E'(1,-2) F'(3,-1)$

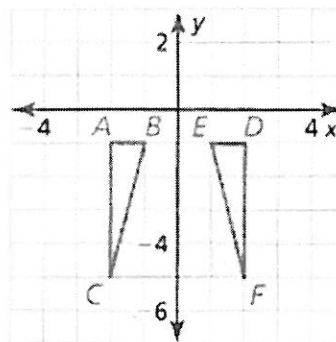


- 2) Determine if the coordinate plane shows a reflection over the lines $x = 0$, $y = 0$, or neither.

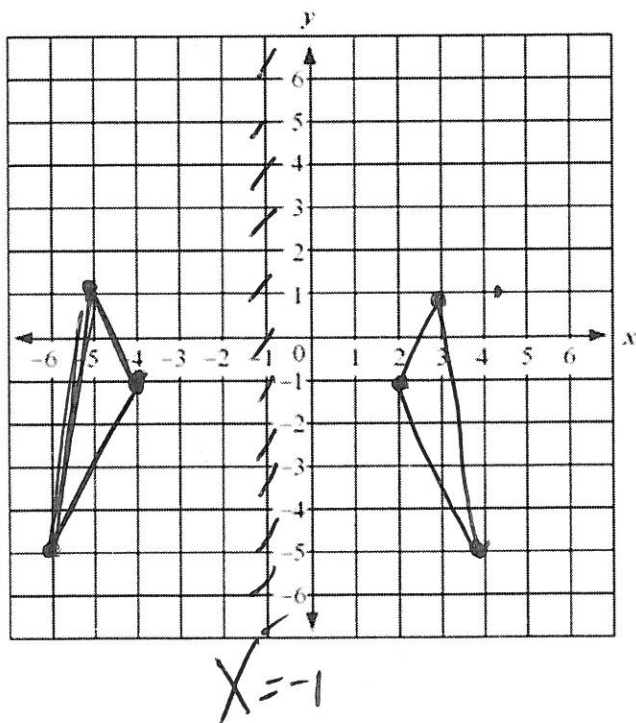
~~Y-axis is $x=0$~~

Y-axis is the line $x=0$

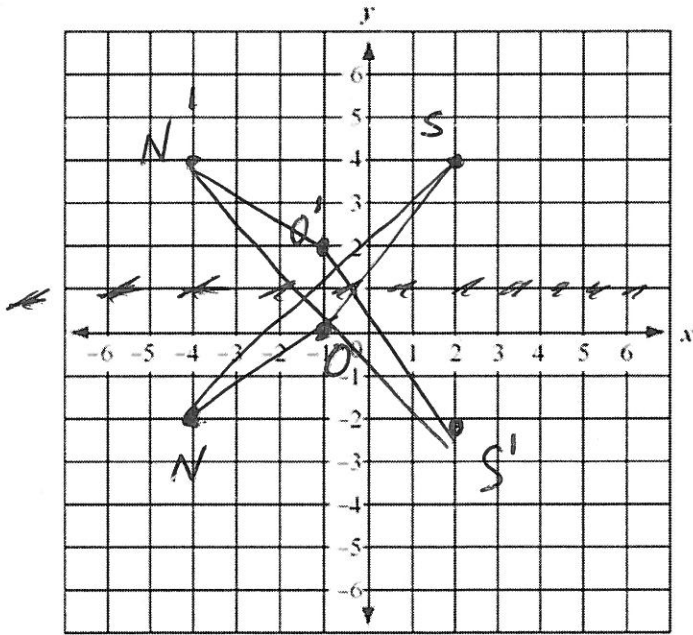
Since every point on the y axis has an x coordinate of zero.



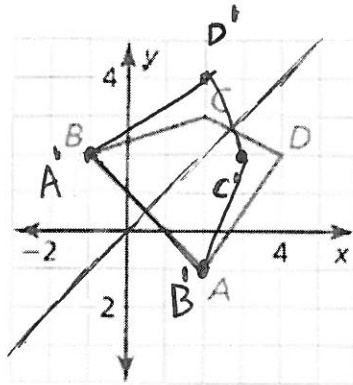
- 3) Graph $\triangle MAN$ and its image over the line of reflection.
 $M(2, -1)$, $A(4, -5)$, $N(3, 1)$ reflect over $x = -1$



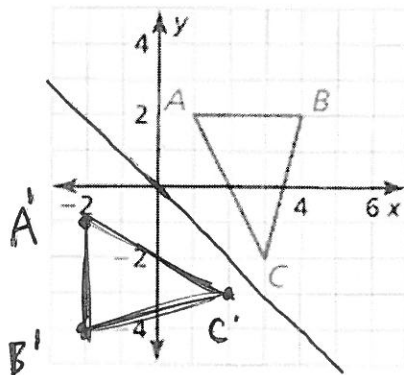
- 4) Graph $\triangle SON$ and its image over the line of reflection.
 $S(2, 4)$, $O(-4, -2)$, $N(-1, 0)$ reflect over $y = 1$



- 5) Graph the line of reflection and the image over $y = x$.

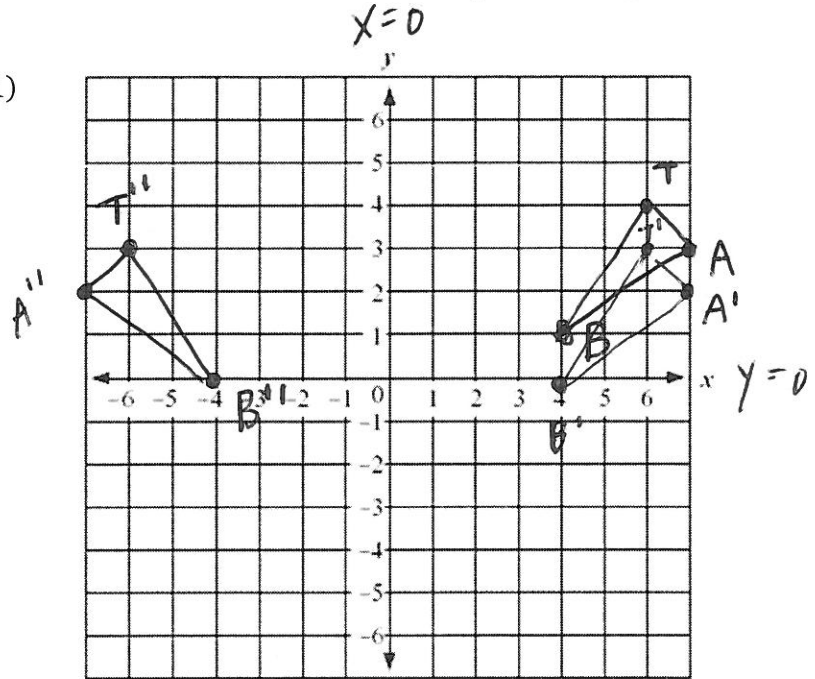


- 6) Graph the line of reflection and the image over $y = -x$.

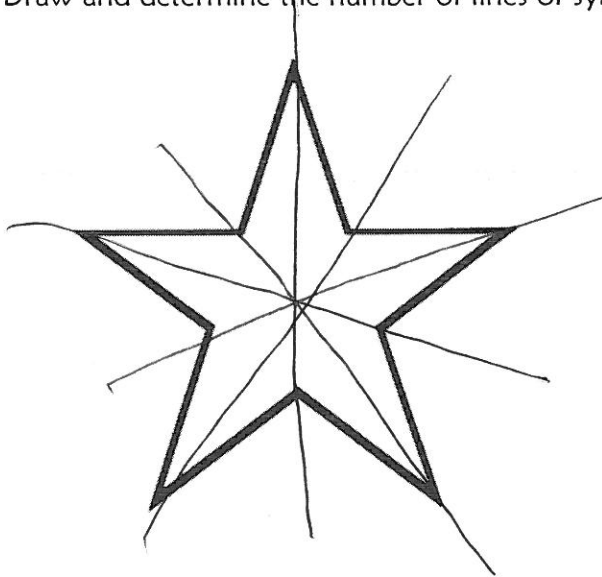


- 7) Graph $\triangle BAT$ with vertices $B(4, 1)$, $A(7, 3)$, and $T(6, 4)$ and its image after the glide reflection.

Translation: $(x, y) \rightarrow (x, y - 1)$
 Reflection: over $x = 0$

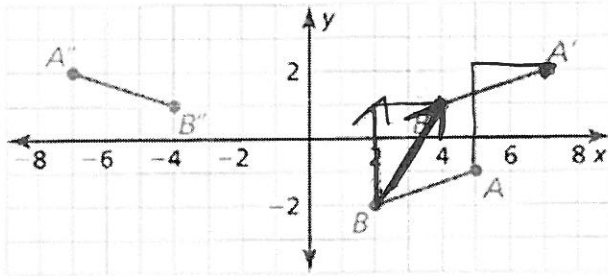


- 8) Draw and determine the number of lines of symmetry in the figure.



5

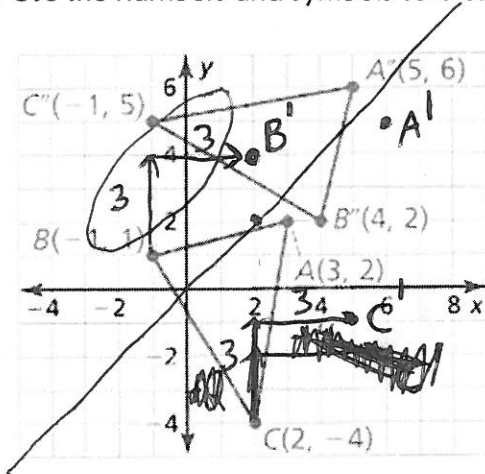
9) Describe and correct the error in describing the transformation.



X \overline{AB} to $\overline{A'B'}$ is a glide reflection.

This question is stupid but technically for it to be considered a "glide reflection", the vector has to be parallel to the line of reflection.

10) Use the numbers and symbols to create the glide reflection resulting in the image shown.



~~to do this~~
 To do this, I first reflected A'', B'', C'' (just pick one) over $y=x$, then I looked at how many units up/right you need to move to get from A to A' .

Translation: $(x, y) \rightarrow (x+3, y+3)$
 Reflection: over $y = x$

x

y

1

2

3

+

-